

The 10th FIDE World Cup in Composing

$\mathbf{Section}\;\mathbf{H}-\mathbf{Retros}$

Final award by

Kostas Prentos

MMXXII

H01 Gasparyan A. (ARM)
H02 Raican P. (ROM)
H03 Shpakovsky A. H04 Olin P. (FIN)
H05 Khramtsevich M.
H06 Frolkin A. (UKR)
H07 Koch JR. (FRA)

H08 Syzonenko V. (UKR) H09 Buchanan A. (SGP) H10 Semenenko V. (UKR) H11 Velmurugan N. (IND) H12 Daga A. (IND) H13 Kirtley M. (USA) H14 Semenenko A. (UKR) he tourney director Aleksey Oganesjan sent me 14 anonymous diagrams, with full solutions and authors' comments.

Only orthodox proof games were allowed this year, as mandated by the organizers of the Cup. Perhaps, this was a way to compensate for allowing only classical retros, last year. I hope all types of retros without restrictions will be accepted again, in the future.

The quality of the submitted problems was rather average – lower than I expected for this prestigious competition. Although none of the entries can be called a masterpiece, several among them were good enough to find a place in the award. Before presenting the winners, I offer brief comments about most of the problems not selected for the award:

- H1 (PG 16, 2b3-2c8, 16+15): A single Pronkin is not adequate for a distinction nowadays. Moreover, extending the solution artificially offers nothing.

-H2 (PG 25, 增g1-增b6, 13+13): An ambitious idea of captured Pronkin Queen and 3 Ceriani/Frolkin Bishops. However, the part that is applicable for the WCCT11 is anticipated by Michel Caillaud's pioneer problem (P1000444). Also compare with H56 & H70 from WCCT11 entries booklet that show the same content, in a more targeted and organized manner.

- H3 (SPG 10.5, \$\dotset e1-\dotset e8, 13+14): The two phases are almost identical; they look like a solution and a cook, rather than two distinct solutions.

• H4 (PG 19.5, 16+15, a and b): There is nothing wrong with this $A \rightarrow B$ proof game; it has certain qualities and an air of originality – it just did not make the final cut.

- H7 (PG 12.5, ☆e3-☆f8, 12+14): This type of siblings (\Bal↔Bh1) has been done better many times before, often with additional content. The clearing of the first rank lacks subtlety.

• H12 (PG 21, 堂c4-堂e8, 14+13): Cooked: 1.h4 g5 2.h:g5 a5 3.萬h5 a4 4.g6 a3 5.萬b5 h5 6.兔c3 急h6 7.兔d5 h4 8.g7 h3 9.g8堂 f5 10.堂e6 d:e6 11.ゑf4 堂d5 12.ゑg6 堂:g2 13.e4 h2 14.堂e2 h1堂 15.堂d3 營hh3+ 16.堂c4 堂b3+ 17.a:b3 堂g4 18.萬:a3 &g7 19.堂f3 ゑf7 20.&d3 萬h1 21.ゑh8 &c3.

H11 – 1st Prize – Gold medal VELMURUGAN NALLUSAMY *India*



PG 20.0

12 + 15

1.h4 a5 2. 単h3 a4 3. 単b3 単a5 4.d3 単h5 5. &e3 g5 6. &a7 c5 7. 単b5 単a5 8.b4 a:b3 e.p.+ 9. 世d2 增a4 10. 豐a5 g4 11. &c3 g3 12.0-0-0 g:f2 13.g4 f5 14.g5 f4 15.g6 f3 16.g7 f:e2 17.g:h8章 e1章 18. &e2 堂f7 19. &g3 堂g7 20. &e2 堂:h8

A total of 15 white moves are visible on the diagram: Aa7(2)包c3(1) <u>බු</u>g3(2) ₩a5(2) 🛱 b5(3) &e2(1)0 - 0 - 0(1)captured $Pb2 \rightarrow b3/b4(1) Pd3(1) Ph4(1): A$ total of 20 black moves are visible: ≌a4(2) Pb3(3) Pc5(1)¤h5(2) Pf2(4) \$\Box\$h8(3) \$\Box\$e1(5) [either by 2g8(2) and $\Xih8\rightarrow e1(3)$, or by pawn promotion, with the bBh8 captured at home (5)]. If the Be1 is the original Bh8, it must have come by playing the moves \Bh8g8-g1-e1. For this plan to work, the wPg2 needs at least 4 moves to clear the g-file. leaving only 1 move for the Pe2 to commit suicide; an impossible task. So, the ¤e1 is the promoted bPf7 and the bPg7 stands on f2, having captured the white f-pawn.

Having identified all the black moves, only the whereabouts of the w & g2 are still unknown. This pawn needs at least 4 moves to reach Black's path, so it can be captured. Since the bBh8 was captured at home, there is only one possible way to kill two birds with one stone: ∆g2-g7:h8. The promoted wAh8 was captured by the b^b on h8, without moving. The type of promotion on h8 depends on the timing of the \$2e8-f7-g7:h8 sequence. Unsurprisingly, this piece is a Rook, the only piece that does not obstruct the black King's path.

While the Schnoebelen capture on h8 is rather typical and the mechanism has been used several times before, the embedded en passant capture 8...a:b3 e.p. is done in a quite original way. White needs to castle as fast as possible and allow for &g7xf2, to prevent running out of moves. For the w≌a5 and wՁc3 to reach their final destinations. b and b & b3 must already occupy theirs. The move 2a5-a4 can be played after the b & a 4 has vacated that square. Timing is again essential: If 7...增a5+ is met by 8.增d2?, the solution comes to a stop a few moves later. White must play 8.b4 first and after 8...a:b3 e.p., the square a4 is vacated for the b≌.

The thematic content can be described Valladao task \mathbf{as} including a Phoenix Rook on e1, together with a Schnoebelen Rook captured on h8. All is done neatly, with excellent timing. However, the author's claim that this is the first combination of Valladao and Schnoebelen in an orthodox PG is incorrect. Compare with P1106920. Despite the fact that the core theme of the two problems is the same, I believe that H11 has enough differences to justify a high placement in this award. After all, it is almost impossible for an orthodox PG to be completely original anymore.

H10 – 2nd Prize – Silver medal VALERY SEMENENKO *Ukraine*



SPG 15.0

14 + 14

1.h4 h5 2.單h3 單h6 3.單d3 單c6 4.單:d7 g6 5.單d5 營d6 6.急h3 急:h3 7.c4 急d7 8.營a4 0-0-0 9.營:a7 單e8 10.營e3 堂b8 11.d4 堂a8 12.堂d2

If the $\mathbb{E} \otimes \mathbb{E} \otimes$

The only remaining possibility is for the Be8 to have come from a8 by means of castling, after 2b8, 2c8 and 2d8 have moved away. Once the Ba8 and \$28 have switched places, the three black pieces can return home. The author describes follows: this maneuver \mathbf{as} "Switchbacks of 3 thematic pieces in double Castling Klasinc theme on b8, c8 and d8". This strategy takes exactly 15 moves. So, the bPd7 and bPa7 were captured at home, by the Rook and Queen, respectively. Once the white Rook captures on d7, it must move away to release Black's army. This allows for a come-and-go type of Klasinc between the w\mathbb{B}d7 and the black pieces &c8, 2b8 and ₩d8.

Quite rich content in a very compact setting. Exchange of places between the black King and Rook. Switchback by one white and three black pieces. Klasinc theme. Overall, a nice problem to solve and enjoy.

H9 – 1st Honorable Mention – Bronze medal ANDREW BUCHANAN (VERSION) *Singapore*



PG 14.5

11 + 10

1.g4 2c6 2.g5 2d4 3.g6 2:e2 4.g:h7 2:g1 5.h:g82 耳:h2 6.营f3 耳g2 7.耳h8 耳h2 8.营:b7 耳h1 9.营:a7 & a6 10. & g2 & f1 11.营:c7 耳:a2 12. & b7 耳:b2 13. 耳a8 耳a2 14. & c8 耳a1 15.营:d8+

During the 37th World Congress of Chess Composition that took place in the small French city of Belfort in 1994, a composition tourney for PGs was organized with the theme: In the final position, at least two units occupy the initial squares of units of the same type but opposite color. This PG theme has since been known as "Belfort". The winner of that tourney (P0002533) achieved 8 Belfort pieces. Later. Unto Heinonen raised the record to 10 (P1000196 & P1080441).

H9 shows 9 such pieces with the additional effect of "home-and-

away-base": If the colors of the pieces were ignored, the diagram would show a double homebase. The previous record of 6 Belfort pieces with this constraint was achieved by Andrew Buchanan in P1304592. The solution also features three bicolor Platzwechsels (\Bh1↔\Bh8. ¤a1↔¤a8 & $\&f1 \leftrightarrow \&c8$) and runs smoothly throughout, with precise timing. Some captures of pawns were used to expedite line openings and ensure the home-and-away-base.

H14 – 2nd Honorable Mention ALEKSANDR SEMENENKO Ukraine (Dedicated to Andrey Frolkin – 65)



SPG 13.5

15 + 15

1.2f3 a5 2.2d4 a4 3.2b3 a:2b3 4.c4 罩a4 5.2b5 罩c4 6.a4 e6 7.a5 急c5 8.a6 急e7 9.7 罩f8 10.a82 急a7 11.2b6 c5 12.2d7 b6 13.2a4 急a6 14.2f6#

1.<mark>e4</mark> a5 2.<mark>요c4</mark> a4 3.<mark>요b3 a:요b3</mark> 4.<mark>요f3</mark> 프a4 5.**요e5** 프c4 6.a4 e6 7.a5 요c5 8.a6 요e7 9.a7 프f8 10.<mark>a8</mark>요 &a7 11.<mark>2:d7 b6</mark> 12.<mark>&c6 &a6</mark> 13.<mark>&a4 c5</mark> 14.**2f6#**

Back in the 1990s, Frolkin proposed in a *diagrammes* article a formula for assessing SPGs with 2 solutions based on the number of moves occurring on different plies and the number of moves occurring in only one of the solutions. In this problem, there are 10 cases of moves occurring on different plies (5+5, marked yellow) and 18 moves (9+9, marked green) occurring in one solution only (the mating made by different moves are knights, so they can be regarded as not coinciding). That is, there is no coincidence of moves in 28 out of the 54 cases of single moves (51.85%) in the two solutions. (author.)

The move count of the diagram determines all 13 black moves. The bPd7 was captured at home. An original white piece was captured on b3 and later the wPa2 promoted on a8 to a piece of the same type (Phoenix). The bPd7 is captured by the original Knight in one solution and the promoted Knight in the other. The final double check involves one original and one promoted white piece. The piece that is captured in one solution, gives mate. together with а Phoenix piece, in the other (Zilahi). Two well matched and adequately distinct solutions

H6 – 1st Commendation ANDRIY FROLKIN *Ukraine*



SPG 27.0

13 + 13

1.e4 d5 2.e5 🛱 d6 3.e.d6 e5 4.h4 &e7 5.h5 &g5 6.h6 &e7 7.h.g7 h5 8. \Bar{B}h3 h4 9.\Bar{B}b3 h3 10.\Bar{B}b6 a.b6 11. &c3 \Bar{B}a3 12. &e4 \Bar{B}c3 13.c3 h2 14. &a3 h1\Bar{B} 15. &c5 b.c5 16. &c4 b6 17. &e2 &b7 18. &d3 &ac8 19.d7 &e7 20.d8 \Bar{B} &a8 21. \Bar{B}d6 & \Bar{B}d8 22. &e2 & \Bar{B}h8 23. &h1 & \Bar{B}d7 24. &h7 & \Bar{B}d8 25. &Bh6 &e8 26. &Bh1 & &h4 27.g8 & d.c4

After a lengthy introduction, the main course comprises two Pronkin pieces, promoted on each other's squares. Square d8: home Is occupied by the Pronkin b營, is the promotion square of the Pronkin wa and is visited by the original b². Square h1: Is occupied by the Pronkin wZ, is the promotion square of Pronkin b營 and is visited hv the original w₩. Nice counterclockwise area and line clearances by w邕d8, b邕h8, b營h1, w營d1. Switchback by the b堂e8.

 $H5 - 2^{nd}$ Commendation MIKHAIL KHRAMTSEVICH



PG 18.5

13 + 13

This problem shows the theme of the ongoing WCCT11. A quick research revealed this was exactly the same problem as H41 from the WCCT11 entries document. T immediately thought both problems were composed by the same Russian or Belarusian composer. Upon my request, the tourney director contacted the composer and confirmed that this was indeed the case. I am grateful to Aleksev for his assistance with this matter.

On March 30th 2022, in response to the Russian invasion of Ukraine, the WFCC delegates took the following decision: Russia/Belarus nationals are not allowed at all to participate in the 11th WCCT. Compositions of RUS/ nationals are not listed in the results booklet at all and no team result is applicable.

However, the problems by the two sanctioned teams were already published on the WCCT entries booklet. albeit without names. What happens to disgualified problems? Paragraph 19 of the WCCT General Rules states about problems not included in the final awards booklet: Any unpublished entries will be available to their composers for publication elsewhere. once the final awards document has appeared. Although the final award is not out vet, it is alreadv mandated that the problems in question be excluded from the results booklet. I decided to accept **H5** as a new original.

Ceriani/Frolkin Knight promotion on f1; Pronkin Bishop on f1, with an additional Pronkin Rook on h1. The solution runs smoothly. I have the impression this PG, as a whole, benefits from being judged in a tourney with a free theme, rather than the WCCT.

H13 – 3rd Commendation MARK KIRTLEY *USA*



PG 17.0

15 + 12

1.e4 a6 2.&:a6 b5 3.¹⁰g4 b4 4.&b5 E:a2 5.²⁰f3 Ea3 6.0⁻⁰ Ee3 7.¹⁰g7 Ee1 8.¹⁰:h8 Ed1 9.¹⁰d4 &g7 10.¹⁰Ea6 ¹⁰f8 11.¹⁰Eg6 d6 12.²⁰e8 ¹⁰d7 13.¹⁰Ee1 ¹⁰h3 14.g:h3 ²⁰a6 15.h4 ²⁰f1 16.¹⁰Ee2 h3+ 17.²⁰e1 ²⁰c8

In the last 4 moves of the solution, the b&c8 performs a long-range capture-free rundlauf, in order to unpin the wBel and allow it to vacate e1 for the w包f3. A consecutive capture-free roundtrip is not very common. Here is a short one for comparison: WID 845553 (Mark Kirtlev & Michel Caillaud, The Problemist Supplement 2022, PG 9.0: 1.e4 a6 2.\$:a6 c6 3.\$:b7 \$a5 4.g3 昌h5 5.堂:h5 d5 6.堂d1 &h3 7.&c8 &f1 8.&f5 &a6 9.d3 &c8). The unpinning motivation is appealing and secured this problem a place in the award.

Kostas Prentos,

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